

# ADAPTIVE WIENER FILTER AND NON LINERA DIFFUSION BASED DEBLURRING AND DENOISING IMAGES

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## ABSTRACT:-

In Our Proposed strategy fundamentally we speaks to how to de-obscuring and De-noising pictures utilizing a wiener channel and Anisotropic Diffusion Filter. Fundamentally wiener channel is utilized to create gauge of an ideal or target arbitrary procedure by straight time-invariant sifting of a watched uproarious procedure, expecting known stationary sign, commotion spectra and added substance clamor. Wiener channel limits mean square mistake between evaluated irregular and ideal procedure and to lessen the spot/Gaussian commotion from the pictures dependent on parts division and wavelet shrinkage model with nonlocal implies for protecting the picture quality with no data misfortune. The Anisotropic Diffusion Filter is changing over the obscured pictures to ordinary picture, while protecting important detail, for example, obscured pictures.

**KEYWORDS:** Wiener filter, Anisotropic Diffusion Filter,DCT,PSNR

## INTRODUCTION

Two of the most well-known issues in photography are picture obscure and commotion, which can be particularly critical in light restricted circumstances, bringing about a demolished photo. Picture de-convolution within the sight of clamor is a characteristically poorly presented issue. The watched obscured picture just gives a halfway limitation on the arrangement—there exist some "sharp" pictures that when convolved with the haze piece can coordinate the watched obscured and boisterous picture. Picture denoising presents a comparative issue because of the uncertainty between the high-frequencies of the in secret clamor free picture and those of the commotion. Along these lines, the focal test in de-convolution and denoising is to create techniques to disambiguate arrangements and inclination the procedures toward more probable outcomes given some earlier data. we speaks to how to de-obscuring and De-noising pictures utilizing a wiener channel and Anisotropic Diffusion Filter. Wiener channel is used to form ideal gauge or arbitrary target

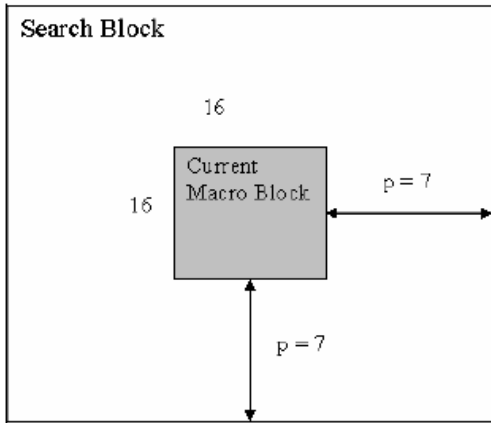
process by straight time-invariant sifting of uproarious process known as commotion spectra, stationary and added substance clamor. This channel limits mean square blunder between estimated irregular and ideal process to diminish dot/Gaussian clamor from the restorative pictures dependent on segments partition and wavelet shrinkage model with nonlocal implies for saving the picture quality with no data misfortune. The Anisotropic Diffusion Filter is changing over the obscured pictures to ordinary picture, while protecting significant detail, for example, obscured pictures.

## EXISTING ALGORITHMS

### BLOCK MATCHING ALGORITHMS

Hidden supposition in evaluation movement is that examples relating to items as well as foundation in casing of video arrangement move inside casing to shape comparing objects on consequent edge. Thought inside square coordinating is to separate present casing into grid of 'large scale hinders' that are then contrasted and comparing square and its nearby neighbors in past casing

to make a vector that specify development of full scale obstruct starting with one area then onto the next in the past casing. This development determined for all the full scale squares including an edge, establishes the movement evaluated in the present edge. The scan territory for a decent full scale obstruct is obliged to p pixels on every one of the fours sides of the relating large scale hinder in past casing. This 'p' is known as hunt parameter. Bigger movements needs bigger p, and bigger hunt parameter more calculationcostly procedure of movement evaluation moves toward becoming. Generally the large scale square is taken as a square of side 16 pixels, and hunt parameter p is 7 pixels. Thought is spoken to in Fig 1.



**Fig.1. Block Matching macro block of side 16 pixels and search parameter p of size 7 pixels.**

Coordinating of one large scale hinder with another depends on yield of a cost capacity. Full scale hinder that outcomes at all expense is one which coordinates the nearest to current square. There are different cost capacities, of which most prominent as well as less computationally costly is Mean Absolute Difference (MAD) given by condition (i). Another cost capacity is Mean Squared Error (MSE) given by condition (ii).

$$MAD = \frac{1}{N^2} \sum_{i=0}^{N-1} \sum_{j=0}^{N-1} |C_{ij} - R_{ij}| \quad (i)$$

$$MSE = \frac{1}{N^2} \sum_{i=0}^{N-1} \sum_{j=0}^{N-1} (C_{ij} - R_{ij})^2 \quad (ii)$$

Where N is macro bock side, Cijpixels in compared macro block, Rijpixels in reference macro block. Eq.(iii) gives Peak Signal to Noise Ratio (PSNR) which is formed by utilizing macro clocks and motion vectors from reference frame.

$$PSNR = 10 \text{Log}_{10} \left[ \frac{(\text{Peak to peak value of original data})^2}{MSE} \right] \quad (iii)$$

**Two-Dimensional DCT**

This paper proposes study of efficacy of DCT on images. Last section explains extension ideas of two-dimensional space. 2-D DCT is a direct extension of 1-D case is given by

$$C(u,v) = \alpha(u)\alpha(v) \sum_{x=0}^{N-1} \sum_{y=0}^{N-1} f(x,y) \cos \left[ \frac{\pi(2x+1)u}{2N} \right] \cos \left[ \frac{\pi(2y+1)v}{2N} \right],$$

Where u,v= 0,1,2,...,N-1,

$$\alpha(u) = \begin{cases} \sqrt{\frac{1}{N}} & \text{for } u = 0 \\ \sqrt{\frac{2}{N}} & \text{for } u \neq 0. \end{cases}$$

$$f(x,y) = \sum_{u=0}^{N-1} \sum_{v=0}^{N-1} \alpha(u)\alpha(v)C(u,v) \cos \left[ \frac{\pi(2x+1)u}{2N} \right] \cos \left[ \frac{\pi(2y+1)v}{2N} \right],$$

forx,y= 0,1,2,...,N-1.

**Drawbacks of existing system:**

The Block-Matching can't preserving edges and fine features. DCT method fails to give more details about edges in all orientation.

**PROPOSED METHOD**

**The Rationale of the Wavelet-based Multi scale Anisotropic Diffusion**

It is anisotropic dissemination is best reasonable to smooth piecewise-consistent pictures isolated by edges. How might play out anisotropic dissemination on wavelet change space? Reason is for an ordinary piecewise-steady picture, after it is disintegrated utilizing interpretation invariant DWT [12], wavelet change segments of

$$\left( W_{2^j}^{1,d} I \right)_{1 \leq j \leq J}, \left( W_{2^j}^{2,d} I \right)_{1 \leq j \leq J}$$

at each scale are still piecewise-consistent isolated by wavelet coefficients with huge extents because of the

picked quadratic spline wavelet work. As appeared in Figure 2, wavelet coefficients in parts of

Relating to smooth areas in first picture, are with little sizes, those comparing to vertical as well as level edges are with enormous extents. In this manner, the extents of wavelet coefficients mirror the varieties in the picture force esteems. Along these lines, it is conceivable to play out the anisotropic dispersion on the piecewise-steady wavelet change parts to diminish clamor in wavelet coefficients while protecting edge-related wavelet coefficients. S1 For single-scale anisotropic dispersion, slopes for deciding anisotropic dissemination coefficients are determined either legitimately from crude boisterous picture [1] or from Gaussians strategy picture with distinction of picture force esteems [2]. For multiscale anisotropic dissemination on wavelet change area, how might figure slopes for deciding anisotropic dispersion coefficients? This research explains to ascertain limited distinction (FD) of wavelet coefficients at a similar scale as inclinations. On the off chance that the outright FD between focal wavelet coefficient as well as one of its neighboring coefficients is little, it implies that two wavelet coefficients are situated at a similar smooth district. Along these lines, the anisotropic dissemination coefficient at the comparing heading will be near one with the goal that neighboring wavelet coefficient is effectively associated with smoothing focal wavelet coefficient. Then again, if total FD is enormous, 2 wavelet coefficients are isolated by edge as well as anisotropic dissemination coefficient will be little, bringing about the protection of edgerelated wavelet coefficients.

**Numerical Implementation of Wavelet-based Multiscale Anisotropic Diffusion**

This work perform robust anisotropic diffusion technique [4] on wavelet transform components of  $W_{2^j}^{1,d} I$  and  $W_{2^j}^{2,d} I$  at various scales forms wavelet-based multiscale anisotropic diffusion to minimizes noise in wavelet coefficients. Behind wavelet transform domain, other anisotropic diffusion method is performed. For wavelet transform coefficient smoothing, anisotropic diffusion method is given as

$$W_2^{1,d} I, W_2^{2,d} I, W_4^{1,d} I, \text{ and } W_4^{2,d} I,$$

$$w_{2^j}^{k,d} I(x, y, t+1) = w_{2^j}^{k,d} I(x, y, t) + \frac{\lambda}{|\eta_{(x,y)}|} \sum_{(p,q) \in \eta_{(x,y)}} g(|\nabla w_{2^j}^{k,d} I(x, y, t)|, \sigma) \nabla w_{2^j}^{k,d} I(x, y, t)$$

Above equation is more optimal when compared with anisotropic diffusion [3]. Because of stationary DWT of noisy images, Gaussian smoothing component is removed

from PDE. Here,  $w_{2^j}^{k,d} I(x, y, t)$  indicates wavelet coefficient at position (x, y) at time (iteration) t k = 1, 2, denotes horizontal as well as vertical directions, σ is threshold for gradient magnitude tuned for particular

application, and  $\nabla w_{2^j}^{k,d} I(x, y, t)$  is gradient for finite differencing method is used to DWT domain. σ and λ are automatically evaluated by utilizing (10) and (11).

Gradient  $\nabla w_{2^j}^{k,d} I(x, y, t)$  in 4 directions is evaluated as follows

$$\begin{aligned} \nabla_N w_{2^j}^{k,d} I(x, y, t+1) &= w_{2^j}^{k,d} I(x, y-1, t) - w_{2^j}^{k,d} I(x, y, t) \\ \nabla_S w_{2^j}^{k,d} I(x, y, t+1) &= w_{2^j}^{k,d} I(x, y+1, t) - w_{2^j}^{k,d} I(x, y, t) \\ \nabla_E w_{2^j}^{k,d} I(x, y, t+1) &= w_{2^j}^{k,d} I(x+1, y, t) - w_{2^j}^{k,d} I(x, y, t) \\ \nabla_W w_{2^j}^{k,d} I(x, y, t+1) &= w_{2^j}^{k,d} I(x-1, y, t) - w_{2^j}^{k,d} I(x, y, t) \end{aligned}$$

Other parameters are evaluated in similar way as in robust anisotropic diffusion technique [4].

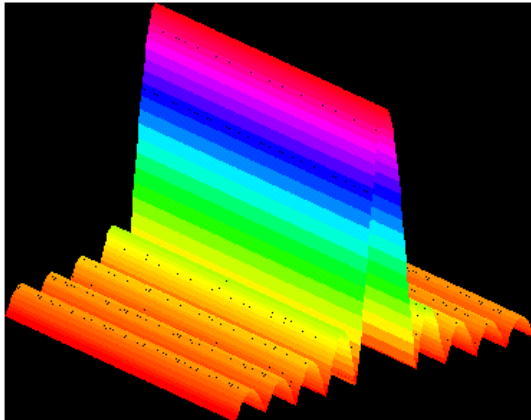
**Wiener Filtering**

The most significant strategy for expulsion of haze in pictures because of direct movement or unfocussed optics is Wiener channel. From sign handling angle, obscuring because of straight movement in a photo is the consequence of poor examining. Every pixel in a computerized portrayal of the photo ought to speak to the force of a solitary stationary point before the camera. Shockingly, if screen speed is excessively moderate as well as camera is in movement, given pixel is amalgam powers which focuses from camera's movement. This is 2D similarity to

$$G(u,v)=F(u,v).H(u,v)$$

where F is fourier change of a "perfect" form of given picture, H is obscuring capacity. For this situation H is sinc

work: if 3 pixels in line consist of information from a similar point on a picture, advanced picture will appear to convolved with 3point freight car in time space. In a perfect world one could figure out a Fest, or F gauge, if G and H are known. This strategy is opposite filtering.



2-D Fourier Transform of Horizontal Blur

**Fig.2. 2-d Fourier transform**

It ought to be noticed that the picture reclamation apparatuses depicted here work along these lines for cases with haze because of off base core interest. For this situation the main distinction is in determination of H. 2-d Fourier change of H for movement is progression of sinc works in parallel on line opposite to heading of movement; and 2-d Fourier change of H for center obscuring is sombrero work, portrayed somewhere else.

In reality, be that as it may, there are two issues with this technique. In the first place, H isn't known decisively. Specialists can speculate the obscuring capacity for a given situation, however assurance of a decent obscuring capacity requires loads of experimentation. Second, opposite sifting flops in certain conditions on the grounds that sinc work goes to 0 at certain estimations of x and y. Genuine pictures consist of commotion which moves toward becoming intensified to point of crushing all endeavors at remaking of a Fest.

Best strategy to tackle second issue is to utilize Wiener sifting. This device fathoms a gauge for F as indicated by the accompanying condition:

$$Fest(u,v) = |H(u,v)|^2 G(u,v) / (|H(u,v)|^2 H(u,v) + K(u,v))$$

For estimate optimization, K is selected. Above equation is obtained from least square technique. An example of Wiener filtering is given below.

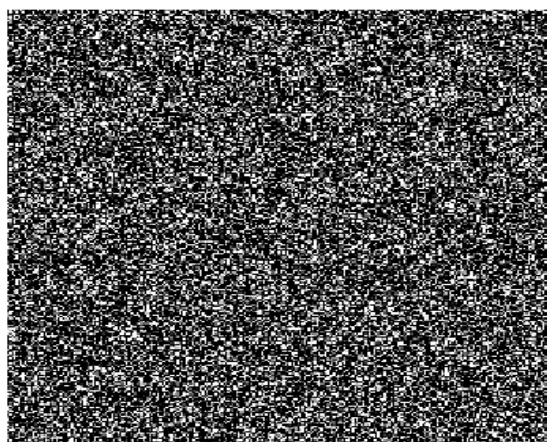


**Fig.3.image without blurring**

All precedents utilized are 256x256 pixels, yet similar standards apply if measure is fluctuated. Likewise, the models are all grayscale however the standards are substantial for shading photographs by applying sifting methods independently to rgb components.



**Fig.4. Image with some blurring due to motion and noise due to poor development.**



**Fig.5. Random gaussian noise (multiplied here by a factor of 100) added into the blurred version of the photo.**



**Fig.6.Reconstructed photograph, e.g. f estimate, through Wiener filtering**

All things being equal, it ought to be noticed that Wiener channels are by a long shot the most widely recognized deblurring system utilized in light of the fact that it scientifically restores the best outcomes. Backwards channels are fascinating as a course reading beginning stage due to their straightforwardness, yet practically speaking Wiener channels are considerably more typical. It ought to likewise be re-underscored that Wiener sifting is in truth the fundamental reason for rebuilding of different sorts of haze; and being a least-mean-squares method, it has establishes in a range of other designing applications

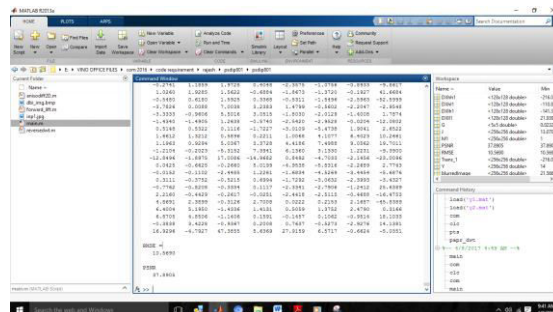
**Experimental Results:**

In below figures are shows our proposed methods. We taken natural image as a input and applying wiener filter and also anisotropic diffusion we recover the original

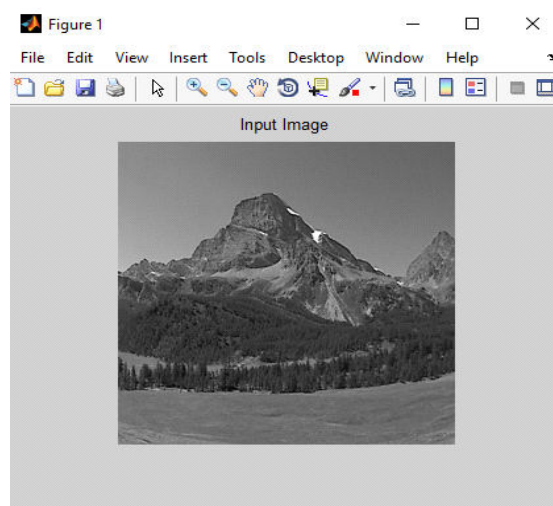
image. We getting the psnr value of our proposed system is given by,

$$RMSE = 10.5690$$

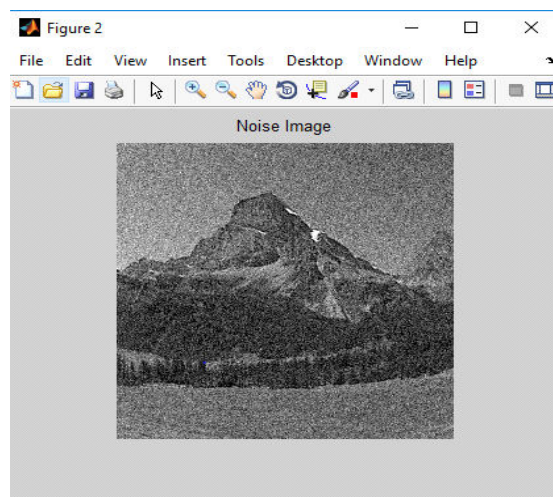
$$PSNR = 37.8905$$



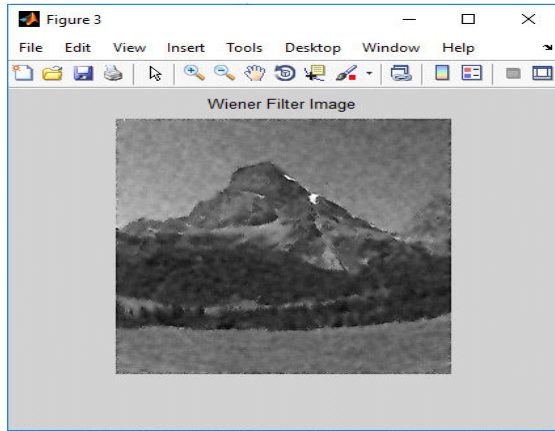
**Fig.7. PSNR value in Mat lab window**



**Fig 8.Input image**

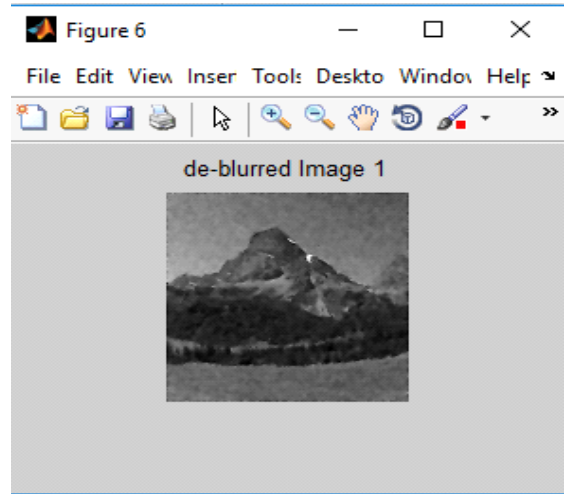


**Fig 9: noise added image**



**Fig 10: Wiener filter image**

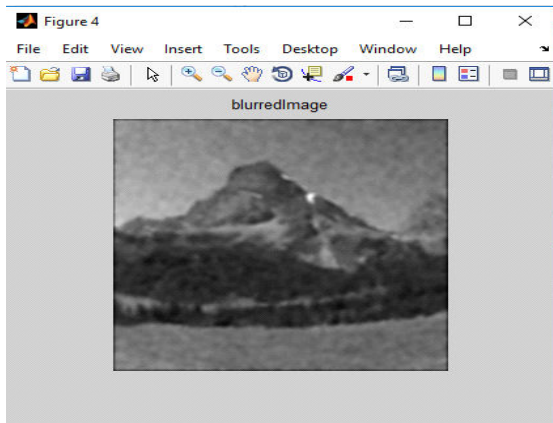
**Fig 12: DWT image**



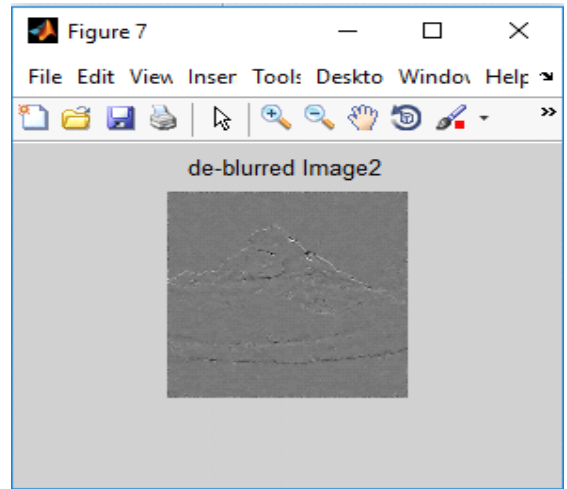
**Fig 13: De-blurred image**

**ANISOTROPIC DIFFUSION:**

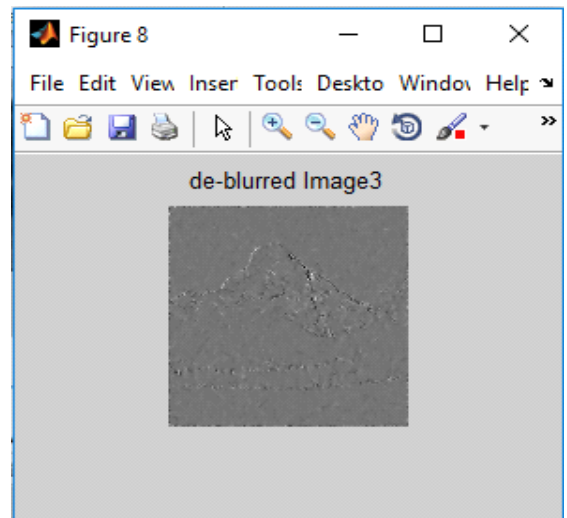
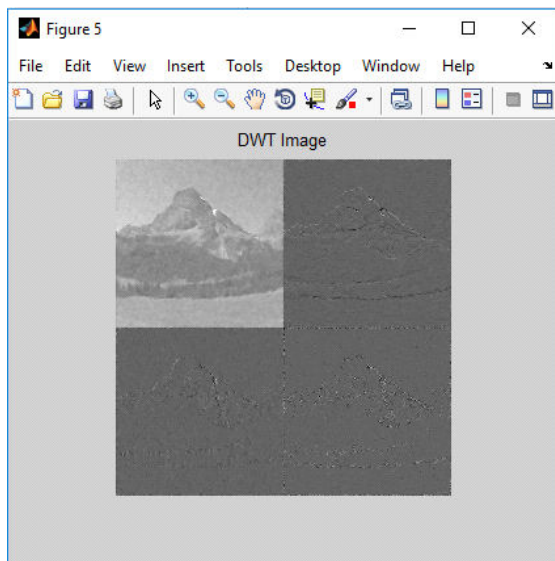
In below figures are anisotropic applied images



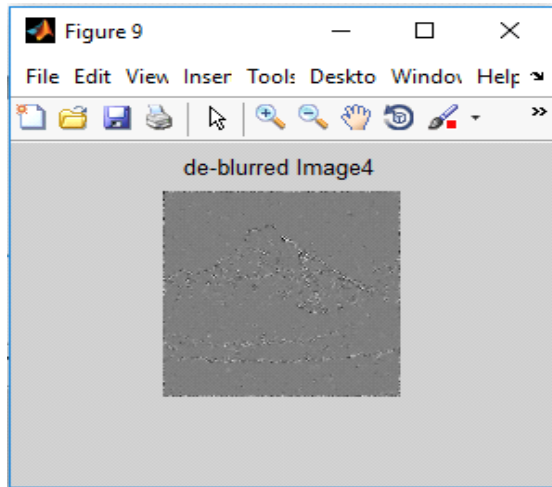
**Fig 11: Blurred image**



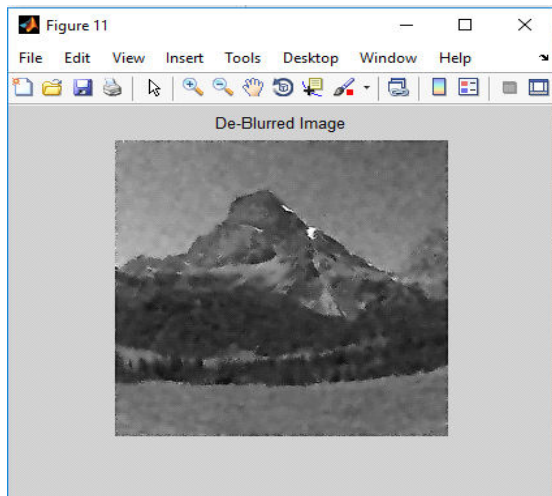
**Fig 14: De-blurred image**



**Fig 15: Deblurred image**



**Fig 16: Deblurred image**



**Fig 17: Output image**

**CONCLUSION**

This paper proposes picture preparing capacity in MATLAB. How picture is obtained with help of MATLAB and how picture is used by commotion and how those clamor is mostly expelled from picture it is accurately studied from this paper. It is used as wiener channel and anisotropic dispersion. This channel limits mean square blunder between assessed irregular procedure and ideal process. It is significant as well as significant procedure in which pictures are handled to recover information that isn't unmistakable to unaided eye.

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